

Name:
Enrolment No:



UNIVERSITY OF PETROLEUM & ENERGY STUDIES
DEHRADUN

End-Semester Examination May 2019

Program/course	: MA Economics (EE)	Semester	: II
Subject	: Econometrics Modeling	Max. Marks	: 100
Code	: ECON 7009	Duration	: 3 Hrs
No. of page/s	: 5		

Section A (attempt all)

Q1. Define the following in **one** sentence.

i.	Econometrics	[2]	CO1
ii.	R^2	[2]	CO1
iii.	Dependent variable	[2]	CO1
iv.	RSS	[2]	CO1
v.	P-value	[2]	CO1
vi.	Estimator	[2]	CO1
vii.	Adjusted R^2	[2]	CO1
viii.	Conditional Mean	[2]	CO1
ix.	Degree of freedom	[2]	CO1
x.	Intercept of the model	[2]	CO1

SECTION B

Answer any four questions

Q2. Calculate F-value from the ANOVA table given below:

Source	SS	df
Model	5564.44289	6
Residual	487.629289	32
Total	6052.07218	38

[5]

CO3,
CO4

Q3. Formulate one electricity generation function, write down its functional form and econometric specification for the following variables:

- Q : Electricity generation
- C : Coal
- K : Capital
- Z : Land
- L : Labour

[5]

CO3,
CO4

Q4. From the regression result of crude oil production function, p-values are given below. Prepare a table as given below and state at what level independent variables are affecting crude oil production significantly.

Crude Oil Production	p > t	Level of Sig.
Price of Crude Oil	0.001	
Per Capita GDP	0.002	
Refinery Throughputs	0.052	
Proved Reserves of Crude Oil	0.345	
Population	0.124	
Carbon Emission	0.564	

[5]

CO3,
CO4

Q5.	<p>Net Energy imports (% of energy use) (EIM) is estimated using GDP per capita (constant 2010 US\$) (GDPP) as the explanatory variable and the results are given below.</p> <table border="1" data-bbox="175 283 1252 451"> <thead> <tr> <th>EIM</th> <th>Coef.</th> <th>Std. Err.</th> <th>t</th> <th>P> t </th> <th colspan="2">[95% Conf. Interval]</th> </tr> </thead> <tbody> <tr> <td>GDPP</td> <td>.0224264</td> <td>.0010231</td> <td>21.92</td> <td>0.000</td> <td>.0203603</td> <td>.0244925</td> </tr> <tr> <td>_cons</td> <td>-1.444897</td> <td>.8098442</td> <td>-1.78</td> <td>0.082</td> <td>-3.08041</td> <td>.190617</td> </tr> </tbody> </table> <p>a) Describe what do you mean by 95% confidence interval in the above given result table.</p>	EIM	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]		GDPP	.0224264	.0010231	21.92	0.000	.0203603	.0244925	_cons	-1.444897	.8098442	-1.78	0.082	-3.08041	.190617	[5]	CO3, CO4
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Q6.	(i) Define degree of freedom for RSS (ii) Define Mean sum of squares	[5]	CO3, CO4
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SECTION C Answer any two questions 2 X 15 = 30	
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Q7.	<p>In the following multiple regression result, Gas Production – tonnes (Million tonnes oil equivalent) (GP) is estimated using factors such as:</p> <ul style="list-style-type: none"> • GDP per capita (constant 2010 US\$) (GP), • Domestic credit provided by financial sector (% of GDP) (DCF), • Energy imports, net (% of energy use) (EIM), • Foreign direct investment, net inflows (% of GDP) (FDIP), • Gross capital formation (annual % growth) (GCFR), and • Industry, value added (annual % growth) (IVAR). <table border="1" data-bbox="175 1339 1224 1774"> <thead> <tr> <th>Source</th> <th>SS</th> <th>df</th> <th>MS</th> <th colspan="3">Number of obs = 39</th> </tr> </thead> <tbody> <tr> <td>Model</td> <td>5564.44289</td> <td>6</td> <td>927.407148</td> <td>F(6, 32) =</td> <td colspan="2">60.86</td> </tr> <tr> <td>Residual</td> <td>487.629289</td> <td>32</td> <td>15.2384153</td> <td>Prob > F =</td> <td colspan="2">0.0000</td> </tr> <tr> <td>Total</td> <td>6052.07218</td> <td>38</td> <td>159.265057</td> <td>R-squared =</td> <td colspan="2">0.9194</td> </tr> <tr> <td></td> <td></td> <td></td> <td></td> <td>Adj R-squared =</td> <td colspan="2">0.9043</td> </tr> <tr> <td></td> <td></td> <td></td> <td></td> <td>Root MSE =</td> <td colspan="2">3.9036</td> </tr> </tbody> </table> <table border="1" data-bbox="175 1535 1224 1774"> <thead> <tr> <th>GP</th> <th>Coef.</th> <th>Std. Err.</th> <th>t</th> <th>P> t </th> <th colspan="2">[95% Conf. Interval]</th> </tr> </thead> <tbody> <tr> <td>GDPP</td> <td>-.0156572</td> <td>.0127679</td> <td>-1.23</td> <td>0.229</td> <td>-.0416646</td> <td>.0103502</td> </tr> <tr> <td>DCF</td> <td>.4852146</td> <td>.1718355</td> <td>2.82</td> <td>0.008</td> <td>.1351971</td> <td>.8352321</td> </tr> <tr> <td>EIM</td> <td>1.44941</td> <td>.3663004</td> <td>3.96</td> <td>0.000</td> <td>.7032801</td> <td>2.195539</td> </tr> <tr> <td>FDIP</td> <td>-.7732869</td> <td>1.427769</td> <td>-0.54</td> <td>0.592</td> <td>-3.681557</td> <td>2.134983</td> </tr> <tr> <td>GCFR</td> <td>.0577847</td> <td>.0779678</td> <td>0.74</td> <td>0.464</td> <td>-.1010305</td> <td>.2165998</td> </tr> <tr> <td>IVAR</td> <td>.2376649</td> <td>.2601368</td> <td>0.91</td> <td>0.368</td> <td>-.2922164</td> <td>.7675462</td> </tr> <tr> <td>_cons</td> <td>-19.63859</td> <td>4.848213</td> <td>-4.05</td> <td>0.000</td> <td>-29.51408</td> <td>-9.763103</td> </tr> </tbody> </table>	Source	SS	df	MS	Number of obs = 39			Model	5564.44289	6	927.407148	F(6, 32) =	60.86		Residual	487.629289	32	15.2384153	Prob > F =	0.0000		Total	6052.07218	38	159.265057	R-squared =	0.9194						Adj R-squared =	0.9043						Root MSE =	3.9036		GP	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]		GDPP	-.0156572	.0127679	-1.23	0.229	-.0416646	.0103502	DCF	.4852146	.1718355	2.82	0.008	.1351971	.8352321	EIM	1.44941	.3663004	3.96	0.000	.7032801	2.195539	FDIP	-.7732869	1.427769	-0.54	0.592	-3.681557	2.134983	GCFR	.0577847	.0779678	0.74	0.464	-.1010305	.2165998	IVAR	.2376649	.2601368	0.91	0.368	-.2922164	.7675462	_cons	-19.63859	4.848213	-4.05	0.000	-29.51408	-9.763103	[15]	CO1, CO4
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	<p>(i) Test the hypothesis that all the explanatory variables are impacting dependent variable individually.</p> <p>(ii) Test the hypothesis that all the explanatory variables are impacting dependent variable jointly.</p>		
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Q8.	Describe 10 assumptions of classical linear regression model.	[15]	CO3, CO4
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Q9.	<p>Oil consumption (oc) is estimated using-</p> <ul style="list-style-type: none"> • crude oil price (p), • crude oil import (im), • crude oil export (ex), • per capita GDP (pgdp) and • carbon emission (co2). <p>Multiple Regression Results</p> <table border="1"> <thead> <tr> <th>Source</th> <th>SS</th> <th>df</th> <th>MS</th> <th colspan="3"></th> </tr> </thead> <tbody> <tr> <td>Model</td> <td>7938423.38</td> <td>5</td> <td>1587684.68</td> <td>Number of obs =</td> <td colspan="2">35</td> </tr> <tr> <td>Residual</td> <td>123989.991</td> <td>29</td> <td>4275.51694</td> <td>F(5, 29) =</td> <td colspan="2">371.34</td> </tr> <tr> <td></td> <td></td> <td></td> <td></td> <td>Prob > F =</td> <td colspan="2">0.0000</td> </tr> <tr> <td></td> <td></td> <td></td> <td></td> <td>R-squared =</td> <td colspan="2">0.9846</td> </tr> <tr> <td></td> <td></td> <td></td> <td></td> <td>Adj R-squared =</td> <td colspan="2">0.9820</td> </tr> <tr> <td></td> <td></td> <td></td> <td></td> <td>Root MSE =</td> <td colspan="2">65.387</td> </tr> <tr> <td>Total</td> <td>8062413.37</td> <td>34</td> <td>237129.805</td> <td colspan="3"></td> </tr> </tbody> </table> <table border="1"> <thead> <tr> <th>oc</th> <th>Coef.</th> <th>Std. Err.</th> <th>t</th> <th>P> t </th> <th colspan="2">[95% Conf. Interval]</th> </tr> </thead> <tbody> <tr> <td>p</td> <td>-3.834641</td> <td>.8662552</td> <td>-4.43</td> <td>0.000</td> <td>-5.606331</td> <td>-2.06295</td> </tr> <tr> <td>im</td> <td>.6252913</td> <td>.0466814</td> <td>13.39</td> <td>0.000</td> <td>.5298171</td> <td>.7207655</td> </tr> <tr> <td>ex</td> <td>-.1236515</td> <td>.0271815</td> <td>-4.55</td> <td>0.000</td> <td>-.1792438</td> <td>-.0680591</td> </tr> <tr> <td>pgdp</td> <td>.0050046</td> <td>.0024767</td> <td>2.02</td> <td>0.053</td> <td>-.000061</td> <td>.0100701</td> </tr> <tr> <td>co2</td> <td>1.122187</td> <td>.2407524</td> <td>4.66</td> <td>0.000</td> <td>.6297929</td> <td>1.614581</td> </tr> <tr> <td>_cons</td> <td>1068.624</td> <td>161.3615</td> <td>6.62</td> <td>0.000</td> <td>738.6027</td> <td>1398.645</td> </tr> </tbody> </table> <p>(a) Identify Explained Sum of square (ESS), residual sum of square (RSS) and show that Total sum of square (TSS)= ESS+ RSS.</p> <p>(b) Identify R² and interpret it.</p> <p>(c) Identify intercept of the model and interpret it.</p>	Source	SS	df	MS				Model	7938423.38	5	1587684.68	Number of obs =	35		Residual	123989.991	29	4275.51694	F(5, 29) =	371.34						Prob > F =	0.0000						R-squared =	0.9846						Adj R-squared =	0.9820						Root MSE =	65.387		Total	8062413.37	34	237129.805				oc	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]		p	-3.834641	.8662552	-4.43	0.000	-5.606331	-2.06295	im	.6252913	.0466814	13.39	0.000	.5298171	.7207655	ex	-.1236515	.0271815	-4.55	0.000	-.1792438	-.0680591	pgdp	.0050046	.0024767	2.02	0.053	-.000061	.0100701	co2	1.122187	.2407524	4.66	0.000	.6297929	1.614581	_cons	1068.624	161.3615	6.62	0.000	738.6027	1398.645	[15]	CO3, CO4
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	<p>Section D</p> <p>Answer the question</p>		<p>1 X 30 = 30</p>
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Q10.	<p>Write a report on the following results:</p> <p>In the following multiple regression result, Carbon Emission (co2) is estimated using factors such as:</p> <ul style="list-style-type: none"> oil consumption (oc), per capita GDP (pgdp), import of goods and services (om), and export of goods and services (ox). 	[30]	CO1, CO3, CO4																																																																																				
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Section A (attempt all)

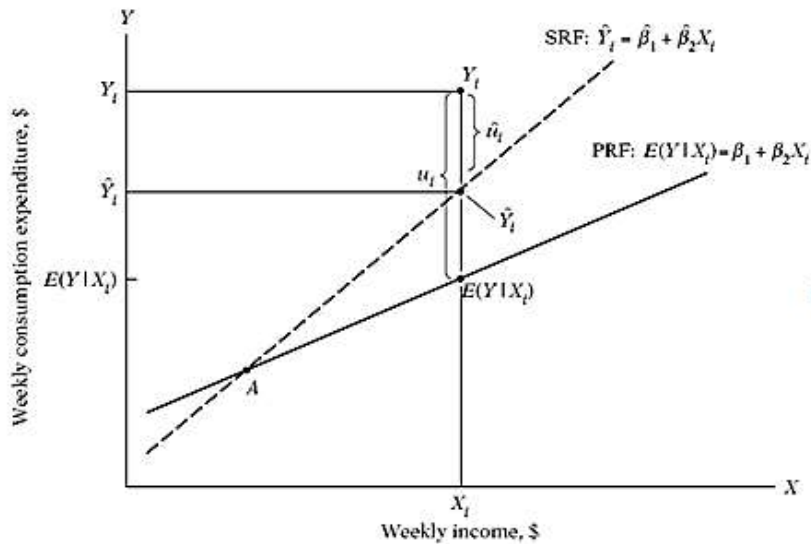
Q1. Select the correct answer

i.	Regression analysis is concerned with estimating mean value of _____ with the help of _____ . a. dependent variable, independent variable c. standard error, variance b. independent variable, dependent variable d. random error, explanatory variable	[2]	CO1
ii.	A sample regression line is simply the locus of the _____ of the dependent variable for the fixed values of the explanatory variable(s) a. conditional variance b. estimated means c. conditional means d. unconditional variance	[2]	CO1

iii.	<p>If an estimator is said to be unbiased, it is implied that</p> <ul style="list-style-type: none"> a. On average, the estimated coefficient values will equal the true values b. No other unbiased estimator has a smaller variance c. The estimates will converge upon the true values as the sample size increases d. The coefficient estimates will be as close to their true values as possible for small and large samples. 	[2]	CO1
iv.	<p>Under the least square procedure, larger the \hat{u}_i (in absolute terms), the larger the _____.</p> <ul style="list-style-type: none"> a. Intercept b. Slope coefficients c. Residual sum of squares d. Conditional mean 	[2]	CO1
v.	<p>$E(Y X_i)=f(X_i)$ is referred to as</p> <ul style="list-style-type: none"> a. Conditional expectation function b. Intercept line c. Population regression line d. Linear regression line 	[2]	CO1
vi.	<p>Population regression function can be predicted with the help of _____.</p> <ul style="list-style-type: none"> a. ESS b. TSS c. RSS d. SRF 	[2]	CO1
vii.	<p>The fitted regression equation is given by $\hat{Y}_i = 25 + 0.5X$. What is the value of the residual at the point $X=50, Y=100$?</p>	[2]	CO1

	<p>a. -90</p> <p>b. 10</p> <p>c. -10</p> <p>d. 50</p>				
viii.	<p>When the regression line will pass through origin then $\hat{\beta}_1$ is_____.</p> <p>a. 0</p> <p>b. Positive</p> <p>c. Negative</p> <p>d. Equal to $\hat{\beta}_2$</p>	[2]	CO1		
ix.	<p>For sample size of 500, $\sum x_i y_i = 50$, $\sum x_i^2 = 100$. Then $\hat{\beta}_2 =$ _____</p> <p>a. 0.5</p> <p>b. 0.005</p> <p>c. 5</p> <p>d. 1.5</p>	[2]	CO1		
x.	<p>When choosing between regression models it is preferable to choose the one with:</p> <p>a. The highest r^2.</p> <p>b. The least number of independent variables.</p> <p>c. The highest r.</p> <p>d. The most number of independent variables.</p>	[2]	CO1		
<p>SECTION B</p> <p>Answer any four questions</p>					
Q2.	<p>Match column A and B by drawing lines.</p> <table border="1" style="margin-left: auto; margin-right: auto;"> <tr> <td style="width: 150px; height: 30px; text-align: center;">A</td> <td style="width: 150px; height: 30px; text-align: center;">B</td> </tr> </table>	A	B	[5]	CO3, CO4
A	B				

	Y_i \hat{Y}_i $Y_i = \hat{\beta}_1 + \hat{\beta}_2 X_i + \hat{u}_i$ $E(Y_i X_i)$ $Y_i = \beta_1 + \beta_2 X_i + u_i$	Population Y Conditional mean of Y Actual Y PRF SRF Estimated Y Sample Y		
Q3.	Prove that the mean value of the stochastic error term is zero.		[5]	CO3, CO4
Q4.	Formulate one crude oil demand function, write down its functional form and econometric specification for the following variables: Q _d : Amount of crude oil demand Y : Gross Domestic Product P : Price of Crude Oil		[5]	CO3, CO4
Q5.	Explain the following diagram:		[5]	CO3, CO4



Q6. Define Econometrics with example.

[5]

CO3,
CO4

SECTION C

Answer any two questions

2 X 15 = 30

Q7. Carbon intensity of 6 countries for the period from 1992 to 2011 is estimated using Energy Intensity (EI), Urbanization (UB), Growth rate (GR), and Energy Use (EU). The regression result is given below.

[15]

Source	SS	df	MS			
Model	5.13373882	4	1.2834347	Number of obs =	120	
Residual	1.08372761	115	.009423718	F(4, 115) =	136.19	
				Prob > F =	0.0000	
				R-squared =	0.8257	
				Adj R-squared =	0.8196	
				Root MSE =	.09708	
Total	6.21746643	119	.052247617			

CI	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
EI	.0291608	.0046628	6.25	0.000	.0199246	.0383969
UB	.0121599	.0106409	1.14	0.256	-.0089177	.0332374
GR	-.001982	.0026222	-0.76	0.451	-.0071762	.0032121
EU	-.0002326	.0000262	-8.87	0.000	-.0002845	-.0001807
_cons	2.746853	.2916009	9.42	0.000	2.169248	3.324458

- Identify dependent and independent variables.
- Identify intercept, partial slope coefficients and interpret them.
- Interpret result of R-Squared.

CO3,
CO4

Q8. The Revenue Received (RR) of Delhi electricity DISCOMs is estimated using AT&C loss reduction achieved (%) (ATCLRA), Capital Investment during Transfer Payment Scheme in Rs Cr (CI), Power Purchase Cost in Rs Cr (PPC), Employee Expenses in

[15]

CO1,
CO4

Rs Cr (EE), A & G Expenses in Rs Cr (AGE), and R & M Expenses in Rs Cr (RME).

The regression result is given below.

Source	SS	df	MS			
Model	11015680.3	6	1835946.72	Number of obs =	33	
Residual	1268807.56	26	48800.2907	F(6, 26) =	37.62	
Total	12284487.9	32	383890.246	Prob > F =	0.0000	
				R-squared =	0.8967	
				Adj R-squared =	0.8729	
				Root MSE =	220.91	

RR	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
ATCLRA	.0305901	3.625167	0.01	0.993	-7.421048	7.482228
CI	.3687213	.3814026	0.97	0.343	-.4152629	1.152706
PPC	.6268125	.1188288	5.27	0.000	.3825563	.8710686
EE	.1468235	1.951242	0.08	0.941	-3.864011	4.157658
AGE	8.474875	4.019356	2.11	0.045	.2129709	16.73678
RME	3.469532	4.341705	0.80	0.431	-5.454971	12.39403
_cons	213.0803	245.5182	0.87	0.393	-291.5896	717.7502

- Formulate null and alternative hypothesis for each individual explanatory variables and test hypotheses using confidence interval approach.
- Using the given results prove that $RSS = TSS - ESS$.

Q9. In the following multiple regression result, Carbon Emission in kilo tones (co2) is estimated using factors such as oil consumption in tones (oc), per capita GDP in constant 2010 US\$ (pgdp), import of goods and services in constant 2010 US\$ (om), and export of goods and services in constant 2010 US\$ (ox).

[15]

CO3,
CO4

Source	SS	df	MS			
Model	1020938.61	4	255234.652	Number of obs =	34	
Residual	21585.3769	29	744.323342	F(4, 29) =	342.91	
Total	1042523.99	33	31591.6359	Prob > F =	0.0000	
				R-squared =	0.9793	
				Adj R-squared =	0.9764	
				Root MSE =	27.282	

co2	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
oc	.1308342	.0144843	9.03	0.000	.1012106	.1604579
pgdp	-.0136371	.0045878	-2.97	0.006	-.0230202	-.0042539
om	.014613	.0102785	1.42	0.166	-.0064089	.0356349
ox	-.0092261	.0176469	-0.52	0.605	-.0453181	.0268659
_cons	294.4371	170.1929	1.73	0.094	-53.64647	642.5206

Answer the following questions using the given results:

- Identify numerator and denominator degree of freedom and calculate F-value.
- Using individual and joint hypothesis testing find out relationship between co2 and its determinants and interpret coefficients of oc, pgdp, om and ox.

Section D

	Answer the question	1 X 30 = 30	
Q10.	<p>Explain the following 8 steps of econometrics methodology with formulating Crude Oil Production function using following variables: Crude Oil Production (Q), Capital (K), Labour (L) and Land (A)</p> <p><u>Steps of Econometrics Methodology</u></p> <p>Step 1: Statement of theory or hypothesis</p> <p>Step 2: Specification of the mathematical model of the theory</p> <p>Step 3: Specification of the statistical, or econometric, model</p> <p>Step 4: Collecting the data</p> <p>Step 5: Estimation of the parameters of the econometric model</p> <p>Step 6: Hypothesis testing</p> <p>Step 7: Forecasting or prediction</p> <p>Step 8: Using the model for control or policy purposes.</p>	[30]	CO1, CO3, CO4