

| Q.9. | A particle of mass ' $m$ ' and coordinate ' $q$ ' has the Lagrangian $L=\frac{1}{2} m \dot{q}^{2}-\frac{\lambda}{2} q \dot{q}^{2}$. Calculate the Hamiltonian of the system. <br> OR <br> Lagrangian of a system is given by $L=\frac{1}{2} m \dot{q}_{1}^{2}+2 m \dot{q}_{2}^{2}-5 k\left(\frac{5}{4} q_{1}^{2}+2 q_{2}^{2}-2 q_{1} q_{2}\right)$ <br> Where ' m ' and ' $k$ ' are positive constants. Determine the frequencies of its normal modes. | 10 | $\mathrm{CO3}$ |
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| $\begin{gathered} \text { SECTION-C } \\ \text { (2Qx20M=40 Marks) } \end{gathered}$ |  |  |  |
| Q. 10 | Discuss the scattering in central force filed through Lagrangian formulation and thus obtain expression for total scattering cross-section of alpha particle scattering through nucleus. | 20 | $\mathrm{CO2}$ |
| Q. 11 | Apply the theory of small oscillations to obtain the secular equation for a double pendulum as shown below and hence determine its normalized frequencies. <br> OR <br> Discuss the general theory of small oscillations and thus interpret the secular equation and the eigen value equation, hence deduce the method to obtain the resonating frequencies. | 20 | $\mathrm{CO3}$ |

