Name:

Enrolment No:



UNIVERSITY OF PETROLEUM AND ENERGY STUDIES

End Semester Examination, December 2022

Course: Control System Engineering Semester: III
Program: M. Tech Automation and Robotics Time : 03 hrs.
Course Code: ECEG 7025 Max. Marks: 100

Instructions: Attempt all questions. **SECTION A** (**5Qx4M=20Marks**) S. No. Attempt all questions. Marks CO Q 1 Draw the block diagram of a closed-loop control system showing all necessary elements. 4 CO₁ Q2 Classify the system on various basis and comments. 4 CO₁ What do you understand by control system design? Explain the types of Q3 4 CO₁ control system design? What do you understand by set point control? **Q**4 4 CO₂ Q 5 What are the actuator nonlinearities? CO₃ 4 **SECTION B** (4Qx10M = 40 Marks)Consider the four robots connected in the following manner shown in Q 6 fig 1. 10 CO₂ Fig 1 Using graph theory, obtain the vector matrix and comment on the stability using Lyapunov function. Assume $x_i(t)$ represents the state of each agent.

Q7	Given the unity feedback control system with K		
	$G(s) = \frac{K}{s(s+a)}$	10	CO3
	Find the value of K and a to yield K_{ν} (velocity constant) and 20 % peak	10	003
	overshoot.		
Q 8	Elucidate the mathematical equation of PID controller. What is the advantage of PI controller over PD controller?	10	CO3
Q 9	For single link manipulator as shown in fig, obtain the modeling in sate		
	space format. OR Explain the concept of completely controllable and completely	10	CO2
	observable system with respect to eigen value? How is Pole Placement technique better Compared to the normal Eigen value technique.		
	SECTION-C (2Qx20M=40 Marks)		
Q 10	Obtain the transfer functions for the following systems with state-space		
(a)	models available as:	10	
	a. $\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} = \begin{bmatrix} 0 & 1 \\ -2 & -3 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} + \begin{bmatrix} 0 \\ 1 \end{bmatrix} u$; $y = \begin{bmatrix} 1 & 0 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} + \begin{bmatrix} 0 \end{bmatrix} u$	10	
(b)	Explain the concepts of observability and controllability with reference to linear time invariant systems. Find the controllability of the system described by the state equation.	10	CO4
	$\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} = \begin{bmatrix} \begin{pmatrix} 0 & 1 \\ -2 & 0 \end{pmatrix} \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} + \begin{bmatrix} 0 \\ 3 \end{bmatrix} u$		

Q11 (a)	State and prove Lyapunov stability theorem. Explain Lyapunov direct method?	10	
(b)	For the system $\dot{x}_1 = x_2$ $\dot{x}_2 = -x_1 - bx_2$	10	CO3
	Based on the Lyapunov technique comment on the stabily.		
	OR		
	Explain the generalized robot manipulator equation and their properties. Obtain the derivation for position control of robot manipulator?		
		20	