

| Q8. | Explain the significance of LT in determining the Initial and Final values of a function in time domain. Find the initial value and final value of the function $X(s)=\frac{(s+6)}{\left(s^{2}-3 s+2\right)}$ | 10 | CO3 |
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| Q9. | Determine the voltage across the resistor as a function of time for $\mathrm{t}>0$. If the current in the circuit $\mathrm{i}(0)=\mathrm{Vc}(0)=0$ from the figure 1 using suitable transform. <br> Fig 1 | 10 | CO4 |
|  | SECTION C | $2 \mathrm{Q} \times 20=40$ |  |
| Q10. | a. Determine the Z.T and ROC of the causal sequence $x[n]=\{\mathbf{1}, 2,-2,-4,1\}$ <br> b. Determine Z.T and ROC of a function $y[n]=(2 / 3)^{n} u[n]+(-1 / 4)^{n} u[n]$. <br> c. Consider the signal $x[n]=\left(\frac{1}{5}\right)^{n} u[n-4]$, Evaluate the z-transform of this signal and specify the corresponding region of convergence | 20 | CO4 |
| Q11. | a. A causal LTI system is described by the difference equation $y(n)=y(n-1)+y(n-2)+x(n)+2 x(n-1)$ <br> Determine the system function and frequency response of the system. Plot the poles and zeroes and indicate the ROC. Determine the stability and impulse response of the system. <br> b. Using the properties of inverse Fourier transform, of <br> c. $X(j \omega)=\pi \delta\left(\omega-\omega_{0}\right)+\pi \delta\left(\omega+\omega_{0}\right)$ <br> d. $\quad X(j \omega)=\frac{1}{(1+j \omega)^{2}}$ | $\begin{gathered} {[12+4+} \\ 4] \end{gathered}$ | CO4 |


|  | (OR) <br> e. Find inverse Laplace transform of $\mathrm{X}(\mathrm{S})=$ $\frac{s+1}{(s+2)(s+3)}$ <br> f. D.T.FT of the signal (i) $x[n]=\{1,-1,2,2\}$ $\text { (ii) } x[n]=a^{n} u[n]$ <br> g. Using Z.T find convolution of two sequences $X_{1}[n]==\{1,2,-1,1,3\} \& X_{2}[n]==\{1,4,-1\}$ | $\begin{gathered} {[6+6+8} \\ ] \end{gathered}$ |  |
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