| Name: <br> Enrolment No: |  |  |  |
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| UNIVERSITY OF PETROLEUM AND ENERGY STUDIES End Semester Examination, December 2021 |  |  |  |
| Progr <br> Cours <br> Cours <br> Nos. 0 | name Name: B Tech CSE (All Branches) Semest <br> Name $:$ Computer Graphics Time  <br> Code $:$ CSEG3003 Max. M <br> page(s) $: 03$  | $\begin{array}{rr} \text { r } \quad \text { V } \\ \text { arks: } & 03 \end{array}$ |  |
| SECTION A |  |  |  |
| S. No. |  | Marks | CO |
| Q1 | Discuss the importance of a call back function and how it is different from ordinary function. Mention four different type of call back functions along with their code snippets. | 04 | CO1 |
| Q2 | Explain the difference between Phong shading and Gouraud shading. | 04 | CO 2 |
| Q3 | State the names of different color models in Computer Graphics. Illustrate any one of them briefly. | 04 | CO 3 |
| Q4 | Demonstrate the techniques that can be used to provide text clipping in a Graphics package. | 04 | CO 4 |
| Q5 | How much time is spent scanning across each row of pixels during screen refresh on a raster system with resolution of 1280 X 1024 and a refresh rate of 60 frames per second. | 04 | CO1 |
| SECTION B <br> Each question will carry 10 marks. |  |  |  |
| Q6. | a) Demonstrate Cohen Sutherland line clipping algorithm. <br> b) Apply Liang Barsky line clipping algorithm for calculating the saved portion of line from $(2,7)$ to $(8,12)$ in a window $(X W \min =Y W \min =5)$ and $(X W m a x$ $=Y W \max =10$ ). | 10 | CO 2 |
| Q7. | Illustrate 3 dimensional homogeneous matrix to rotate by $\pi$ degrees about the line passing through the point $(0,0,0)$ and $(1,0,1)$. | 10 | CO 3 |


| Q8. | Demonstrate Z buffer algorithm (do include diagrammatic representation) along-with its advantages and disadvantages. | 10 | CO4 |
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| OR |  |  |  |
|  | Demonstrate the matrix representations for Reflection about X-axis, Y-axis, about the straight-line $\mathbf{y}=\mathbf{x}$ and $\mathbf{y}=-\mathbf{x}$ and about the origin. A mirror is placed vertically such that it passes through points $(10,0)$ and $(0,10)$. Find the reflected view of the triangle ABC with coordinates $\mathrm{A}(5,50), \mathrm{B}(20,40), \mathrm{C}(10,70)$. | 10 | CO4 |
| Q9. | a) Illustrate the following terminology with diagram: (any one) <br> i) NURBS. <br> ii) Fractals. <br> iii) Knot Vector. <br> b) Find the equation of Bezier curve which passes through $(0,0)$ and $(-4,2)$ and controlled through $(14,10)$ and $(4,0)$. | 10 | CO1 |
| 1. Each Question carries 20 Marks. <br> 2. Instruction: Write long answer. |  |  |  |
| Q10. | A solid tetrahedron is given by position vectors $\mathrm{A}(1,1,1), \mathrm{B}(3,1,1), \mathrm{C}(2,1,3)$ and D $(2,2,2)$ and a point light source is kept at $\mathrm{P}(2,3,4)$. Using Back Face detection method, find the surfaces on which light falls and the surfaces which are to be shadowed. | 20 | CO 2 |
| Q11. | Illustrate the solution for scan line filling algorithm for a polygon $\{\mathrm{A}, \mathrm{B}, \mathrm{C}, \mathrm{D}, \mathrm{E}, \mathrm{F}$, G\}. whose vertices are $\{(2,7)(4,12)(8,15)(16,9)(11,5)(8,7)(5,5)\}$. Prepare all edge tables according to scan line filling algorithm. | 20 | CO 3 |
|  | OR |  |  |
|  | Find below the ways in which the ray can intersect/not intersect with the sphere. i.e., when is there exactly one intersection, when are there two intersections, and when are there no intersections. <br> - 0 intersection points: iA , iiB , and iiiC <br> - 1 intersection point: iiA and iiiB <br> - 2 intersection points: iiiA | 20 | CO 3 |

Demonstrate the algorithm along with the code snippet in OpenGL to find the

