Name: Enrolment No:

Max. Marks: 100

🔰 UPES

UNIVERSITY OF PETROLEUM AND ENERGY STUDIES END SEMESTER EXAM, DEC 2021

Course: Theory of Elasticity & Plasticity Program: M. Tech (Structural Engg.)

CIVL 7002 Time: 03 hrs. SEM -Ist

Define stress at a point in a body under the action of external forces. Briefly explain plane stress & plane strain problem with example Explain the Uniqueness theorem with example.	Marks 4M 4M	CO CO1 CO2
Briefly explain plane stress & plane strain problem with example		
	4 M	CO2
Explain the Uniqueness theorem with example.		
	4 M	CO3
Differentiate between isotropic & anisotropic material with an example.	4 M	CO4
Briefly explain 1) St. Venant's principle 2) Principle of superposition.	4 M	CO3
SECTION B		
Derive the equilibrium equation for plane problem in Cartesian coordinate system.	10M	CO1
Show that $\phi = \frac{q}{8c^3} \left[x^2(y^3 - 3c^2y + 2c^3) - \frac{1}{5}y^3(y^2 - 2c^2) \right]$ is the stress function & find what problem it solves when applied to the region included $y = \pm c$, $x = 0$ on the side x is positive.	10M	CO2
Derive the equation for stress-strain relationship in 2D plane stress problem in Cartesian coordinate system.	10M	CO2
displacement components at $x = 1 \& y = 1$ OR Given the displacement component $u = e^y \log x^2 \tan^{-1} x \& v = e^x \log y^2 \sin^{-1} y$. Determine the normal strains at the points $x = 1 \& y = 0.5$	10M	CO1
Derive an expression for the stress concentration due to presence of circular hole. A shaft subjects to maximum shear torque of 10kN.m and maximum bending moment of 7.5kN.m at a particular section. If the allowable equivalent stress in simple tension is 160kN/m ² . Determine the diameter of shaft according to shear strain energy theory OR A Mild steel shaft 120mm diameter subjects to maximum torque of 20kN/m and maximum bending moment of 12kN.m. Determine Factor of safety according to maximum shear stress theory if elastic limit in simple tension is 220MN/m ²	20M 20M	CO3 CO4
I S f S I C C d C I I A C C I I A C C I I A C C I I A C C I I A C C I I A C C I I A C C I I A C C I I A C C I I A C C I I A C C I I A C C I I A C C I I A C C I I A C C I I A C C A C C A C C I A C C A C C A C C A C	SECTION B Derive the equilibrium equation for plane problem in Cartesian coordinate system. Show that $\phi = \frac{q}{8c^3} \left[x^2(y^3 - 3c^2y + 2c^3) - \frac{1}{5}y^3(y^2 - 2c^2) \right]$ is the stress function & ind what problem it solves when applied to the region included $y = \pm c$, $x = 0$ on the ide x is positive. Derive the equation for stress-strain relationship in 2D plane stress problem in Cartesian coordinate system. Diven the Strain components $\epsilon_x = e^y \sinh 2x \& \epsilon_y = e^x \cosh 2y$. Determine the displacement components at $x = 1 \& y = 1$ OR Derive the displacement component $u = e^y \log x^2 \tan^{-1} x \& v = \frac{e^x \log y^2 \sin^{-1} y}{2}$. Determine the normal strains at the points $x = 1 \& y = 0.5$ SECTION-C Derive an expression for the stress concentration due to presence of circular hole. A shaft subjects to maximum shear torque of 10kN.m and maximum bending moment of 7.5kN.m at a particular section. If the allowable equivalent stress in simple tension s 160kN/m ² . Determine the diameter of shaft according to shear strain energy theory OR A Mild steel shaft 120mm diameter subjects to maximum torque of 20kN/m and maximum bending moment of 12kN.m. Determine Factor of safety according to	SECTION BDerive the equilibrium equation for plane problem in Cartesian coordinate system.10MShow that $\phi = \frac{q}{gc^3} \left[x^2(y^3 - 3c^2y + 2c^3) - \frac{1}{5}y^3(y^2 - 2c^2) \right]$ is the stress function &10MShow that $\phi = \frac{q}{gc^3} \left[x^2(y^3 - 3c^2y + 2c^3) - \frac{1}{5}y^3(y^2 - 2c^2) \right]$ is the stress function &10MShow that $\phi = \frac{q}{gc^3} \left[x^2(y^3 - 3c^2y + 2c^3) - \frac{1}{5}y^3(y^2 - 2c^2) \right]$ is the stress function &10MShow that $\phi = \frac{q}{gc^3} \left[x^2(y^3 - 3c^2y + 2c^3) - \frac{1}{5}y^3(y^2 - 2c^2) \right]$ is the stress function &10MShow that $\phi = \frac{q}{gc^3} \left[x^2(y^3 - 3c^2y + 2c^3) - \frac{1}{5}y^3(y^2 - 2c^2) \right]$ is the stress function &10MScore with the stress when applied to the region included $y = \pm c$, $x = 0$ on the10MCartesian coordinate system.10MCartesian coordinate system.ORSilven the Strain components $\epsilon_x = e^y \sinh 2x$ & $\epsilon_y = e^x \cosh 2y$. Determine theSilven the displacement component $u = e^y \log x^2 \tan^{-1} x$ & $v = e^x \log y^2 \sin^{-1} y$. Determine the normal strains at the points $x = 1$ & $y = 0.5$ 10MSECTION-CDerive an expression for the stress concentration due to presence of circular hole.20MA shaft subjects to maximum shear torque of 10kN.m and maximum bending moment of 7.5kN.m at a particular section. If the allowable equivalent stress in simple tension is 160kN/m². Determine the diameter of shaft according to shear strain energy theory20MA Mild steel shaft 120mm diameter subjects to maximum torque of 20kN/m an