|  | UNIVERSITY WITH A PURPOSE <br> UNIVERSITY OF PETROLEUM \& ENERGY STUDIES <br> End Semester Examination, December/January 2021 <br> Course: Program: MBA CORE <br> Subject/Course: QUANTITATIVE METHODS <br> Course Code: DSQT 7001 <br> Semester: I <br> Marks: 100 <br> Duration: 3 Hours <br> Instructions: Candidates are allowed to use scientific calculators. <br> Use of statistical tables (Normal tables or $z$ tables) is to be provided |  |  |
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| Q.No | SECTION A - 10Q x 2M = 20 Marks | Marks | CO |
| Q1 | The area under normal curve within $3 \sigma$ limits from the mean $\mu$ is a) 0.6827 <br> b) 0.9545 <br> c) 0.9973 <br> d) 1.0 | 2 | $\mathrm{CO5}$ |
| Q2 | For constructing a frequency distribution, the first step is to <br> a)arrange data into an array <br> b) decide the type and number of classes <br> c)decide number of class intervals <br> d) all of these | 2 | $\mathrm{CO3}$ |
| Q3 | The $\qquad$ term in Statistics measures the extent to which values that are very different from the mean affect the shape of the distribution of a set of data | 2 | $\mathrm{CO3}$ |
| Q4 | Let $\mathrm{p}+3 \mathrm{q} / 2=27$ be an equation involving two variables p (price) and q (quantity). Indicate the meaningful domain and range of this function when price is considered an independent variable | 2 | CO1 |
| Q5 | For a binomial distribution, $\mathrm{p}(\mathrm{x})={ }^{10} \mathrm{C}_{\mathrm{x}}(0.5)^{\mathrm{x}}(0.5)^{10-\mathrm{x}}$, where $\mathrm{x}=0,1,2, \ldots, 10$, the standard deviation is <br> a) 2.5 <br> b) $\sqrt{2} .5$ <br> c) 10 <br> d) $\sqrt{2}$ | 2 | $\mathrm{CO5}$ |
| Q6 | If $\mathrm{f}(\mathrm{x})=1-\mathrm{x}^{2}+\mathrm{x}^{4}$, then we have <br> a) $f(-x)=f(x)$ <br> b) $f(-x)=-f(x)$ <br> c) $f(-x)+f(x)=0$ <br> d)none of these | 2 | CO1 |
| Q7 | The Arithmetic mean of two numbers is 15 and the square of their Geometric Mean is 216. The numbers are $\qquad$ and $\qquad$ | 2 | $\mathrm{CO3}$ |
| Q8 | The value of correlation coefficient <br> a)depends on the origin <br> b) depends on the unit of scale <br> c)depends on both origin \& unit of scale <br> d) independent of origin and unit of scale | 2 | CO6 |
| Q9 | The strength of a linear relationship between two variables X and Y is measured by $\qquad$ | 2 | CO6 |
| Q10 | A firm produces an item whose production cost function is $C=80+4 x$, where $x$ is the number of items produced. If entire stock is sold at the rate of Rs. 8 then determine the revenue function. Also obtain the 'break-even' point. | 2 | CO1 |
|  | SECTION B - 4Q x 5M = 20 Marks |  |  |
| Q11 | A student is taking a multiple-choice exam in which each question has four choices. Assume that the student has no knowledge of the correct answers to any of the questions. She has decided on a strategy in which she will place four balls (marked A, B, C, and D) into a box. She randomly selects one ball for each question and replaces the ball in the box. The marking on the ball will determine her answer to the question. There are five multiple-choice questions on the exam. What is the probability that she will get <br> a) at least four questions correct? <br> b) no questions correct? | 5 | CO5 |
| Q12 | How many terms are there in the progression $2,4,8, \ldots, 128$. Also, compute the sum of this series which ends with 128. | 5 | CO1 |


| Q13 | Find the derivative of function, $\mathrm{f}(\mathrm{x})=(1+\mathrm{x}) /(1-\mathrm{x})$. Also compute inverse $\mathrm{f}^{-1}(\mathrm{x})$ | 5 | CO1 |
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| Q14 | Illustrate the two methods of classifying data in class intervals with examples. | 5 | CO 2 |
| SECTION C - 3Q x 10M = 30 Marks |  |  |  |
| Q15 | a) Under what circumstances would it be appropriate to use mean, median or mode? Explain <br> b) Skewness and kurtosis measures can be used in describing frequency distribution. Explain | 10 | CO3 |
| Q16 | For each of the following variables, determine whether the variable is categorical or numerical. If the variable is numerical, determine whether the variable is discrete or continuous. In addition, determine the measurement scale for each variable. <br> a. Name of Internet service provider <br> b. Time, in hours, spent surfing the Internet per week <br> c. Where the individual uses a mobile phone to connect to the Internet <br> d. Number of online purchases made in a month <br> e. Where the individual uses social networks to find sought after information | 5+5 | CO2 |
| Q17 | a) The probability that a person has a certain disease is 0.03 . Medical diagnostic tests are available to determine whether the person actually has the disease. If the disease is actually present, the probability that the medical diagnostic test will give a positive result (indicating that the disease is present) is 0.90 . If the disease is not actually present, the probability of a positive test result (indicating that the disease is present) is 0.02 . Suppose that the medical diagnostic test has given a positive result (indicating that the disease is present). What is the probability that the disease is actually present? What is the probability of a positive test result? <br> b) A piece of equipment will function only when all the 3 components A, B and C are working. The probability of A failing during one year is 0.15 , that of B failing is 0.05 and that of C failing is 0.10 . What is the probability that the equipment will fail before the end of the year? | 6+4 | CO4 |
|  | OR |  |  |
| Q17 | a) For each of the following, state whether the events created are mutually exclusive and collectively exhaustive. <br> 1. Undergraduate students were asked whether they were from a business school or engineering school. <br> 2. Each customer was classified by the brand and type of credit card used to pay the bill: Visa, MasterCard, American Express, Gold, Platinum, or none. <br> 3. A resident in Singapore is classified as a citizen or non-citizen. <br> 4. Each respondent was asked for his or her highest level of education: Bachelor's degree, master's degree, or doctorate degree <br> b) From a city population, the probability of selecting <br> (1) a male or a smoker is $7 / 10$ <br> (2) a male smoker is $2 / 5$, and <br> (3) a male, if a smoker is already selected is $2 / 3$. <br> Find the probability of selecting: <br> 1. a non-smoker <br> 2. a male <br> 3. a smoker, if a male is first selected | 4+6 | CO4 |


| SECTION D - $2 \mathrm{Q} \times 15 \mathrm{M}=30$ Marks |  |  |  |
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| Q18 a | Case Study 1 - Telecommunication Company ABC Pvt. Ltd. <br> The long-distance calls made by the employees of a telecom company ABC Pvt. Ltd. are normally distributed with a mean of 6.3 minutes and a standard deviation of 2.2 minutes. Find the probability that a call <br> a. lasts between 5 and 10 minutes. <br> b. lasts more than 7 minutes. <br> c. lasts less than 4 minutes. <br> d. How long do the longest $10 \%$ of calls last? | 8 | $\mathrm{CO5}$ |
| Q18 b) | Case Study 2 - Publishing Company <br> A statistics instructor has observed that the number of typographical errors in new editions of textbooks varies considerably from book to book. After some analysis, he concludes that the number of errors is Poisson distributed with a mean of 2 per 100 pages $(e=2.718)$ <br> a) The instructor randomly selects 100 pages of a new book. What is the probability that there are no typographical errors? <br> b) Suppose that the instructor has just received a copy of a new statistics book. He notices that there are 400 pages. What is the probability that there are two or fewer typographical errors? | 3+4 | $\mathrm{CO5}$ |
| Q19 | Sunflowers Apparel is a chain of upscale fashion stores for women. As the new director of planning, you have already consulted with marketing data firms that specialize in using business analytics to identify and classify groups of consumers. The business objective is to forecast annual sales for all new stores, based on the number of profiled customers who live no more than 30 minutes from a Sunflowers store. To examine the relationship between the number of profiled customers (in millions) who live within a fixed radius from a Sunflowers store and its annual sales (\$millions), data were collected, which is shown in the table below: <br> a) Find the regression line of Annual Sales on Profiled Customers <br> b) Compute regression coefficient, the average of profiled customers and average Sales <br> c) Use regression line to predict annual sales for a store with 4 million profiled customers <br> d) Interpret the meaning of the slope of the regression line in this problem <br> e) Calculate the standard error of estimate of Annual Sales on Profiled Customers | 6+3+2+2+2 | CO6 |

