| Name: <br> Enrolment No: | ¢ ¢ ES |
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| UNIVERSITY OF PETROLEUM AND ENERGY STUDIES End Semester Examination, May-2021 |  |
| Program Name: B.TECH-ME | Semester : VIII |
| Course Name : Modeling and Simulation | Time : 03 hrs . |
| Course Code : MECH4006P | Max. Marks: 100 |
| Nos. of page(s) : 02 |  |

## SECTION A (30 Marks)

1. All questions are compulsory in this section.
2. Total 06 questions are there in this section and each question is of $\mathbf{5}$ Marks.
3. Short answer type questions.

| S. No. | $\mathbf{\text { Marks }}$ |  |  |  | $\mathbf{C O}$ |
| :--- | :--- | :---: | :---: | :---: | :---: |
| Q1 | Discuss various attributes characterizing a system by taking suitable example of any <br> engineering system. | $\mathbf{5}$ | $\mathbf{C O 1}$ |  |  |
| Q2 | Categorize the implications of the system concept. | $\mathbf{5}$ | $\mathbf{C O 1}$ |  |  |
| Q3 | Deliberate mathematical modelling and state its importance. | $\mathbf{5}$ | $\mathbf{C O 2}$ |  |  |
| Q4 | Analyze Saddle point approach for the following function $f(x, y)=x^{2}-y^{2}$. Predict <br> local maximum and minimum for the function. | $\mathbf{5}$ | $\mathbf{C O 3}$ |  |  |
| Q5 | Elaborate Kuhn-tucker Condition in optimization of multivariable problem having <br> inequality constraints. | $\mathbf{5}$ | $\mathbf{C O 5}$ |  |  |
| Q6 | Articulate pitfalls of simulation approach. | $\mathbf{5}$ | $\mathbf{C O 5}$ |  |  |

## SECTION B (50 Marks)

1. All questions are compulsory in this section.
2. Total 05 questions are there in this section and each question is of $\mathbf{1 0}$ Marks.
3. Write brief notes.

## Assume any missing data if required.

| Q1 | In a heat treatment process, a metal cube of side 2 cm , density $6000 \mathrm{~kg} / \mathrm{m} 3$, and <br> specific heat $300 \mathrm{~J} / \mathrm{kg} . \mathrm{K}$ is heated by convection from a hot fluid at temperature Tf <br> =2200C. The initial temperature of the cube is, $\mathrm{Ti}=200 \mathrm{C}$. If the temperature T within <br> the cube may be taken as uniform, write down the equation that governs the <br> temperature as a function of time $\tau(\mathrm{sec})$. Obtain the general form of the solution. If <br> the measured Temperature values at different time intervals are given as |
| :--- | :--- |
| $\left.\begin{array}{lllll}\tau(\mathrm{min}) & 0 & 0.5 & 1.0 & 2.0\end{array}\right]$ |  |
| $\frac{T-T f}{T i-T f}$ | 1 |


|  | Obtain a best fit to these data using information from the analytical solution for <br> $\mathrm{T}(\tau)$. Sketch the resulting curve and plot the original data to indicate how good a <br> representation of the data is obtained by this curve. From the results obtained, <br> compute the heat transfer coefficient h. |  |  |
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| Q2 | Apply the concept of constraint surfaces develop a hypothetical two dimensional <br> design space. Discuss applicability and non-applicability of this approach too. | $\mathbf{1 0}$ | $\mathbf{C O 4}$ |
| Q3 | Compare different types of simulation approach with suitable example of each. | $\mathbf{1 0}$ | $\mathbf{C O 5}$ |
| Q4 | Minimize $f(x)=9-8 x_{1}-6 x_{2}-4 x_{3}+2 x_{1}^{2}+2 x_{2}^{2}+x_{3}^{2}+3 x_{1} x_{2}+2 x_{1} x_{3}$ <br> Subject to $x_{1}+x_{2}+2 x_{3}=3$ <br> By 1$)$ Direct Substitution 2) Constrained Variation 3) Lagrange multiplier Method | $[\mathbf{3 + 3 + 4 ]}$ | $\mathbf{C O 4}$ |
| Q5 | Summarize various steps to design or analyze a complex system by simulation with <br> flow chart. | $\mathbf{1 0}$ | $\mathbf{C O 5}$ |

## SECTION C (20 Marks)

## 1. Please solve one question out of two.

## 2. Write long answers.

Assume any missing data if required.

| Q1 | a)State your understanding about Positive and negative definite in Hessian <br> Matrix. Discuss indefinite case also. <br> b) <br> Find the extreme points of the function given below and calculate Relative <br> minimum and maximum with nature of Hessian determinant. <br> $f(x 1, x 2)=4 x_{1}^{3}+6 x_{2}^{3}+10 x_{1}^{2}+4 x_{2}^{2}+8$  <br> $\qquad$OR  <br>  a)Find the dimensions of a cylindrical tin (with top and bottom) made up of sheet <br> metal to maximize its volume such that the total surface are is equal to $36 \pi$. <br> b) Maximize $f=2 x_{1}+x_{2}+15$ <br> Subject to $g(x, y)=x_{1}+2 x_{2}^{2}=3$ <br> Find the solution using <br> a. Method of Constrained Variation. <br> b. Method of Lagrange Multiplier. [10+10] | $\mathbf{C O 4}$ |  |
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