

## SECTION B

Attempt all questions. Each question carries 10 marks. Question 5 has internal choice.

| Q1 | Using Newton's backward interpolation formula, find the value of $e^{-1.9}$ from the following table of the value of $e^{-x}$. |  |  |  |  |  |  |  |  | $\mathrm{CO2}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $x$ |  | 1 |  | . 25 | 1.50 | 1.75 | 2 |  |  |
|  | $e^{-x}$ |  | 0.3679 | 9.2 | 2865 | 0.2231 | 0.1738 | 0.1353 |  |  |
| Q2 | Given that: $\frac{d y}{d x}=x y+y^{2} ; y(0)=1, y(0.1)=1.1169, y(0.2)=1.2773, y(0.3)=1.5049$ <br> Find the solution at $x=0.4$, using Milne's method. |  |  |  |  |  |  |  |  | CO4 |
| Q3 | A slid rod is <br> Evalu | der i <br> give <br> 0 <br> 30.2 <br> uate | in a ven at $\mathrm{e} \frac{d x}{d t} \text { at }$ | machi <br> at vario <br> 0.1 <br> 31.43 $\text { t } t=$ | ne move <br> 0.1 . | ves along nes $t$ (in s | a fixed st sec.). $\begin{array}{l\|l\|} \hline & 0.4 \\ \hline 4 & 33.97 \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \text { straight } 1 \\ \hline 0.5 \\ \hline 33.48 \\ \hline \end{array}$ | od. Its <br> 0.6 <br> 32.13 | CO3 |
| Q4 | A real root of the equation $x^{3}-5 x+1=0$ lies in the interval $(0,1)$. Perform four iterations of the secant method. |  |  |  |  |  |  |  |  | CO1 |
| Q5 | Given <br> $x$ : <br> $f(x)$ <br> evalu <br> ( | n the  <br>   |  |  | 11 <br> 1452 <br> alues in <br> 60 | 23 <br> 2366 <br> vton's divid <br> in the table $\begin{array}{\|c\|} \hline 65 \\ \hline-2.4 \\ \hline \end{array}$ | 17 <br> 5202 <br> ided diffe e: | Ference <br> OR | rmula | CO2 |

## SECTION C

Question of this section carries $\mathbf{2 0}$ marks and it has internal choice.

## Q1

Solve the system of linear equations

$$
20 x+y-2 z=17 ; 3 x+20 y-z=-18 ; 2 x-3 y+20 z=25
$$

Using
a) Jacobi's iteration method,
b) Gauss-Seidel iteration method.

## OR

Use Runge-Kutta method of fourth order to find the numerical solution at $x=1.4$ for

$$
\frac{d y}{d x}=x^{2}+y^{2}, y(1)=0
$$

Assume step size $h=0.2$.

