Name:

Enrolment No:



| | UNIVERSITY OF PETR | | - | | | | |
|--|---|-----------|---|-----------------|----------|-----------------|--|
| ONLINE END SEMESTER EXAM, JAN-2021 Course: Matrix Methods of Analysis | | | | | Semester | Semester: I | |
| | m: M. Tech (Structures) | | | | | - | |
| Time: 03 hrs. | | | | | Max. Mai | Max. Marks: 100 | |
| | S | SECTION A | | | | | |
| S. No. | | | | | Marks | CO | |
| Q.1 | State Maxwell reciprocal theorem & its effect in matrix method of structures | | | | | CO1 | |
| Q.2 | Explain structure & element coordinates with suitable examples | | | | | CO2 | |
| Q.3 | Prove that flexibility is inverse of stiffness matrix | | | | 5M | CO3 | |
| Q.4 | What are Eigen values & Eigen vectors? | | | | 5M | CO4 | |
| Q.5 | Obtain the force displacement equation of beam element | | | | 5M | CO3 | |
| Q.6 | Explain difference between stiffness & direct stiffness method | | | | 5M | CO1 | |
| | S | SECTION B | | | l . | | |
| | below. Assume the flexural rigidity constant. 8 kN/m 10 kN 5 m 2 m D 2 m C | | | | 10M | CO3 | |
| Q.8 | a. Derive the stiffness matrix for two noded truss element of length "L" and axial rigidity "AE" b. How are basic equations of stiffness matrix obtained | | | | ial 10M | CO2 | |
| Q.9 | Analyze the pin jointed steel plane tru below. The cross sectional area of each median below. The cross sectional area of each median below. | | | L 400 461.9 800 | 10M | CO4 | |
| Q.10 | Portal frame ABC is loaded as shown in span BC. Draw BMD taking EI constant f Element approach. | • | | - | | CO1 | |

