

| 1 y | The spatial coordinates of a digital image ( $x, y$ ) are proportional to: |  | Brightness | c | Contrast | i n c c o r r r e c c d | Noise |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 2 H | Among the following image processing techniques which is fast, precise and flexible. |  | Electronic | n c o r r r e c | Photograp hic | i n c c o r r r e e c | Digital |
| 3 M | An image is considered to be a function of $a(x, y)$, where a Height of represents: image |  | Width of image | i n c O r r e c | Amplitude of image | c o r r r e c t | Resolution of image |
| $4 \begin{aligned} & 1 \\ & y \end{aligned}$ |  Image <br> What is the first and foremost restoratio <br> step in Image Processing? n | i n c o o | Image enhancem ent | i n c o | Image acquisitio <br> n | C | Segmentat ion |



|  |  |  |  |  |  | c t |  | c t |  | c |
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|  | 1 M |  |  | i |  | C |  | i |  | i |
|  | 0 C |  |  | n |  | 0 |  | n |  | n |
|  |  |  |  | c |  | $r$ |  | c |  | c |
|  |  |  |  | 0 |  | $r$ |  | 0 |  | 0 |
|  |  |  |  | r |  | e |  | r |  | r |
|  |  |  | Digitizing | r | Digitizing | C |  | r | None of | $r$ |
|  |  |  | the | e | the | t | All of the | e | the | e |
|  |  | For a continuous image $f(x, y)$, | coordinat | C | amplitude |  | mentione | c | mentione | c |
|  |  | Quantization is defined as | e values | t | values |  |  | t | d | t |
| 1 | M |  |  | C |  | i |  | i |  | i |
|  |  |  |  | 0 |  | n |  | n |  | n |
|  |  | Assume that an image $f(x, y)$ is |  | $r$ |  | C |  | c |  | c |
|  |  | sampled so that the result has |  | $r$ |  | 0 |  | 0 |  | 0 |
|  |  | M rows and N columns. If the |  | e |  | $r$ |  | r | Second | r |
|  |  | values of the coordinates at | Second | c |  | $r$ | First | r | sample | $r$ |
|  |  | the origin are ( $\mathrm{x}, \mathrm{y}$ ) $=(0,0)$, | sample | t | image | e | sample | e | along | e |
|  |  | then the notation $(0,1)$ is | along first |  | enhancem | c | along first | c | second | C |
|  |  | used to signify : | row |  | ent | t | row | t | row | t |
| $\begin{aligned} & 1 \\ & 2 \end{aligned}$ | M |  | ( $\mathrm{x}, \mathrm{y}$ ) are | i | ( $x, y$ ) are | C | ( $x, y$ ) are | i | ( $\mathrm{x}, \mathrm{y}$ ) are | i |
|  |  |  | integers | n | integers | 0 | integers | n | integers | n |
|  |  |  | from Z2 | c | from Z2 | r | from R2 | C | from R2 | c |
|  |  | Let $Z$ be the set of real | and f is a | 0 | and $f$ is a | $r$ | and f is a | 0 | and $f$ is a | 0 |
|  |  | integers and $R$ the set of real | function | r | function | e | function | r | function | r |
|  |  | numbers. The sampling | that | $r$ | that | C | that | $r$ | that | $r$ |
|  |  | process may be viewed as | assigns a | e | assigns a | t | assigns a | e | assigns a | e |
|  |  | partitioning the $x$-y plane into | gray-level | c | gray-level |  | gray-level | c | gray-level | C |
|  |  | a grid, with the central | value | t | value |  | value | t | value | t |
|  |  | coordinates of each grid being | (from Z) to |  | (from R) |  | (from R) |  | (from Z) to |  |
|  |  | from the Cartesian product | each |  | to each |  | to each |  | each |  |
|  |  | Z 2 , that is a set of all ordered | distinct |  | distinct |  | distinct |  | distinct |  |
|  |  | pairs (zi, zj), with zi and zj | pair of |  | pair of |  | pair of |  | pair of |  |
|  |  | being integers from $Z$. Then, | coordinat |  | coordinat |  | coordinat |  | coordinat |  |
|  |  | $f(x, y)$ is said a digital image if: | es ( $x, y$ ) |  | es ( $x, y$ ) |  | es ( $x, y$ ) |  | es (x, y) |  |
| 1 | M | Let $Z$ be the set of real |  | i |  | C |  | i | None of | i |
|  |  | integers and $R$ the set of real | The Digital | n | The Digital | 0 |  | n | the | n |
|  |  | numbers. The sampling | image | c | image | r |  | c | mentione | c |
|  |  | process may be viewed as | then | 0 | then | $r$ |  | 0 |  | 0 |
|  |  | partitioning the $x-y$ plane into | becomes a | $r$ | becomes a | e |  | r |  | r |
|  |  | a grid, with the central | 1-D | r | 2-D | c |  | $r$ |  | $r$ |
|  |  | coordinates of each grid being | function | e | function | t |  | e |  | e |
|  |  | from the Cartesian product | whose | C | whose |  |  | c |  | C |
|  |  | Z2, that is a set of all ordered | coordinat | t | coordinat |  |  | t |  | t |
|  |  | pairs (zi, zj), with zi and zj | es and |  | es and |  | The gray |  |  |  |
|  |  | being integers from $Z$. Then, | amplitude |  | amplitude |  | level can |  |  |  |
|  |  | $f(x, y)$ is a digital image if ( $x, y$ ) | values are |  | values are |  | never be |  |  |  |
|  |  | are integers from $Z 2$ and $f$ is a | integers |  | integers |  | integer |  |  |  |


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|  |  |  | Operation <br> s |  |  | o r r e e c t | Transform ation | o r r e c t t |  | $r$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{array}{\|l\|} \hline 2 \\ 4 \\ \hline \end{array}$ |  | Of the following, $\qquad$ has the maximum frequency. | UV Rays | c o r r e e c t | Gamma Rays | 0 | Microwav es | i n c o r r e e c t r | Radio <br> Waves | n |
|  |  | Which of the following is impractical to measure? | Brightness |  | Frequency |  | Radiance | i n c c o r r e c c t | Luminanc <br> e | i i n c o r r r e c |
|  | M | Which of the following is used for chest and dental scans? | Gama rays | r n c o r r e e c t | Soft X- <br> Rays | o <br> r <br> r <br> e <br> e | Radio Waves | i n c c o r r $e$ c c t | Infrared Rays | i |
|  | M | A commercial use of Image Subtraction is $\qquad$ | Mask <br> mode <br> radiograp <br> hy | c o r r e c | MRI scan | n c o r r e c | CT scan | i n c c o r r e c c t | None of the mentione d | i |
| 8 | C | Region of Interest (ROI) operations is commonly called as $\qquad$ |  | c <br> o <br> r <br> r <br> e <br>  <br>  | Shading correction | n c o | Dilation | i n c c o r r | None of the mentione d | i |




|  |  | done on the pixels in sharpening the image? |  | o r r e c c t |  | o r r e c t |  | o r r e c t |  | r e c t |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | The derivative of digital function is defined in terms of difference. Then, which of the following defines the second order derivative $\partial^{2} f / \partial x^{2}=$ $\qquad$ of a onedimensional function $f(x)$ ? | $f(x+1)-f(x)$ | l n c o o r r r e c c t | $\begin{aligned} & f(x+1)+ \\ & f(x-1)-2 f(x) \end{aligned}$ | C | All of the mentione d depending upon the time when partial derivative will be dealt along two spatial axes | e | None of the mentione d | i n c o r r r e c c t |
|  | M | What is the difference between Convolution and Correlation? | Image is prerotated by 180 degree for Correlatio n | i <br> n <br> c <br> o <br> O <br> r <br> r <br> r <br> e <br> c <br> t | Image is prerotated by 180 degree for Convoluti on | C | Image is prerotated by 90 degree for Correlatio n | i n c o r r r e c c t | Image is pre- <br> rotated by <br> 90 degree <br> for <br> Convoluti on | i <br> n <br> c <br> o <br> r <br> r <br> e <br> c <br> c <br> t |
| 4 | M | The function that contains a single 1 with the rest being 0 s is called $\qquad$ | Identity function |  | Inverse function |  | Discrete unit impulse | c o r r r e c t | None of the mentione d | i n c o r r e c c |
|  | M | Which of the following conditions does the threshold $\mathrm{T}(\mathrm{r})$ must satisfy? | $T(r)$ is doublevalued and monotoni cally decreasing in the interval $0 \leq r \leq 1$; and | $\begin{array}{\|l\|} \hline \mathrm{i} \\ \mathrm{n} \\ \mathrm{c} \\ \mathrm{o} \\ \mathrm{r} \\ \mathrm{r} \\ \mathrm{e} \\ \mathrm{c} \\ \mathrm{t} \end{array}$ | $T(r)$ is doublevalued and monotoni cally increasing in the interval $0 \leq r \leq 1$; and | n c o r r r e c t | $T(r)$ is <br> single- <br> valued <br> and <br> monotoni <br> cally <br> decreasing <br> in the <br> interval <br> $0 \leq r \leq 1$; and | n n c o r r r e c c | $T(r)$ is singlevalued and monotoni cally increasing in the interval $0 \leq r \leq 1$; and | C o r r e c t |


|  |  |  | $\begin{aligned} & 0 \leq T(r) \leq 1 \\ & \text { for } 0 \leq r \leq 1 \end{aligned}$ |  | $\begin{aligned} & 0 \leq T(r) \leq 1 \\ & \text { for } 0 \leq r \leq 1 \end{aligned}$ |  | $0 \leq T(r) \leq 1$ <br> for $0 \leq r \leq 1$ |  | $\begin{aligned} & 0 \leq T(r) \leq 1 \\ & \text { for } 0 \leq r \leq 1 \end{aligned}$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 4 | $\begin{aligned} & \mathrm{M} \\ & \mathrm{C} \end{aligned}$ | Histogram equalization or Histogram linearization is represented by of the following equation: | $\begin{aligned} & s_{\mathrm{k}}=\sum^{\mathrm{k}}{ }_{\mathrm{j}}=1 \\ & \mathrm{n}_{\mathrm{j}} / \mathrm{n} \\ & \mathrm{k}=0,1,2, \ldots \\ & \ldots, \mathrm{~L}-1 \end{aligned}$ |  | $\begin{aligned} & s_{k}=\sum^{k}{ }_{j}=0 \\ & n_{j} / n \\ & k=0,1,2, \ldots \\ & \ldots, L-1 \end{aligned}$ | $\begin{aligned} & c \\ & o \\ & r \\ & r \\ & e \\ & c \\ & t \end{aligned}$ | $\begin{aligned} & s_{k}=\sum^{k}{ }_{j}=0 \\ & n / n_{j} \\ & k=0,1,2, \ldots \\ & \ldots, L-1 \end{aligned}$ |  | $\begin{aligned} & \mathrm{s}_{\mathrm{k}}=\sum^{\mathrm{k}}{ }_{\mathrm{j}}=\mathrm{n} \\ & \mathrm{n}_{\mathrm{j}} / \mathrm{n} \\ & \mathrm{k}=0,1,2, \ldots \\ & \ldots, \mathrm{~L}-1 \end{aligned}$ | i n c o r r e c c t |
|  | M | While performing the median filtering, suppose a 3*3 neighborhood has value (10, $20,20,20,15,20,20,25$, 100), then what is the median value to be given to the pixel under filter? | 20 | C | 15 | $\begin{aligned} & \hline \mathrm{i} \\ & \mathrm{n} \\ & \mathrm{c} \\ & \mathrm{o} \\ & \mathrm{r} \\ & \mathrm{r} \\ & \mathrm{e} \\ & \mathrm{c} \\ & \mathrm{t} \end{aligned}$ | 100 |  | 25 |  |
| 4 | $\begin{aligned} & \mathrm{M} \\ & \mathrm{C} \end{aligned}$ | In linear spatial filtering, what is the pixel of the image under mask corresponding to the mask coefficient w (1, -1 ), assuming a $3 * 3$ mask? | $f(x,-y)$ | i <br> n <br> c <br> c <br> o <br> r <br> r <br> r <br> e <br> e <br> c <br> c <br> t | $f(x+1, y)$ |  | $f(x, y-1)$ | i n c c o r r r e d c | $f(x+1, y-$ <br> 1) | c o r r e c t |
|  | $\begin{aligned} & M \\ & C \end{aligned}$ | Which of the following is/are considered as type(s) of lowpass filters? | Ideal | n c o r r r e c c t | Butterwor th |  | Gaussian |  | All of the mentione d | c o r r e c t |
| 4 | M | If, $F_{\text {hp }}(u, v)=F(u, v)-F_{1 p}(u, v)$ and $F_{l p}(u, v)=H_{i p}(u, v) F(u, v)$, where $F(u, v)$ is the image in frequency domain with $F_{h p}(u$, v) its highpass filtered version, $F_{\text {Ip }}(u, v)$ its lowpass filtered component and $\mathrm{H}_{\mathrm{Ip}}(\mathrm{u}, \mathrm{v})$ the transfer function of a lowpass filter. Then, unsharp masking can be implemented directly | $\begin{aligned} & H_{\mathrm{hp}}(u, v)= \\ & \mathrm{H}_{\mathrm{lp}}(\mathrm{u}, \mathrm{v}) \end{aligned}$ | n c o r r r e c c t | $\begin{aligned} & H_{h p}(u, v)= \\ & 1+H_{1 p}(u, \\ & v) \end{aligned}$ | i n c o r r r e c t | $\begin{aligned} & H_{h p}(u, v)= \\ & -H_{l p}(u, v) \end{aligned}$ |  | $\begin{aligned} & H_{h p}(u, v)= \\ & 1-H_{l p}(u, \\ & v) \end{aligned}$ | c o r r e c t |


|  |  | in frequency domain by using a filter. Which of the following is the required filter? |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 4 | $\begin{aligned} & M \\ & C \end{aligned}$ | Which of the following is the useful descriptor of a boundary, whose value is given by the ratio of length of the major axis to the minor axis? | Radius | $\begin{aligned} & \hline \mathrm{i} \\ & \mathrm{n} \\ & \mathrm{c} \\ & \mathrm{o} \\ & \mathrm{r} \\ & \mathrm{r} \\ & \mathrm{e} \\ & \mathrm{c} \\ & \mathrm{t} \end{aligned}$ | Eccentricit y | C o r r e c t | Perimeter |  | Area | i <br> n <br> c <br> o <br> r <br> r <br> r <br> e <br> c <br> t |
| 5 | $\begin{aligned} & M \\ & C \end{aligned}$ | Based on the 4-directional code, the first difference of smallest magnitude is called as: | Shape <br> Number | $\begin{gathered} c \\ o \\ r \\ r \\ e \\ c \\ t \end{gathered}$ | Chain <br> Number | i n c o r r r e c L | Difference |  | Difference Number | i <br> n <br> c <br> o <br> r <br> r <br> r <br> e <br> c <br> c <br> t |
| 5 | $\begin{aligned} & M \\ & C \end{aligned}$ | What is the set of pixels of 8neighbors of pixel $p$ at coordinates ( $\mathrm{x}, \mathrm{y}$ ) ? | $\begin{aligned} & (x+1, y), \\ & (x-1, y),(x, \\ & y+1),(x, y- \\ & 1),(x+2, \\ & y),(x-2, y), \\ & (x, y+2), \\ & (x, y-2) \end{aligned}$ | $\begin{aligned} & \mathrm{i} \\ & \mathrm{n} \\ & \mathrm{c} \\ & \mathrm{o} \\ & \mathrm{r} \\ & \mathrm{r} \\ & \mathrm{e} \\ & \mathrm{c} \\ & \mathrm{t} \end{aligned}$ | $\begin{aligned} & (x+1, y+1), \\ & (x+1, y-1), \\ & (x-1, y+1), \\ & (x-1, y-1), \\ & (x+2, y+2), \\ & (x+2, y-2), \\ & (x-2, y+2), \\ & (x-2, y-2) \end{aligned}$ | i | $\begin{aligned} & (x+2, y) \\ & (x-2, y),(x, \\ & y+2),(x, y- \\ & 2),(x+2, \\ & y+2),(x+2, \\ & y-2),(x-2, \\ & y+2),(x-2, \\ & y-2) \end{aligned}$ |  | None of the mentione d | c o r r e c t |
| 5 | M | Opening morphological operators with rolling structuring element (SE) | Sharps | $\begin{array}{l\|} \hline \mathrm{i} \\ \mathrm{n} \\ \mathrm{c} \\ \mathrm{o} \\ \mathrm{r} \\ \mathrm{r} \\ \mathrm{e} \\ \mathrm{c} \\ \mathrm{t} \end{array}$ | Shrinks | i n c c o r r r e c d | Smooths | C | Deletes | i <br> n <br> c <br> o <br> r <br> r <br> e <br> c <br> c <br> t |
| 5 3 | $\begin{aligned} & M \\ & C \end{aligned}$ | Hit-or-miss transformation is used for shape | removal | $\begin{aligned} & \hline \mathrm{i} \\ & \mathrm{n} \\ & \mathrm{c} \\ & \mathrm{o} \\ & \mathrm{r} \\ & \mathrm{r} \\ & \mathrm{e} \\ & \mathrm{c} \\ & \mathrm{t} \end{aligned}$ | detection | C o r r e c t | compressi on |  | padding | i <br> n <br> c <br> o <br> r <br> r <br> e <br> e <br> c <br> t |


| 5 |  | ( AoB )oB is equal to | A.B | i n c o r r r e c c t | $A+B$ | $\begin{aligned} & \mathrm{i} \\ & \mathrm{n} \\ & \mathrm{c} \\ & \mathrm{o} \\ & \mathrm{r} \\ & \mathrm{r} \\ & \mathrm{e} \\ & \mathrm{c} \\ & \mathrm{t} \end{aligned}$ | $A \circ B$ | c | $A \times B$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 5 | $\begin{aligned} & \mathrm{M} \\ & \mathrm{C} \end{aligned}$ | Best removal of lines from image will be produced by the structuring element (SE) of size | $5 \times 5$ | c o r r e c c t | $1 \times 1$ | $\begin{aligned} & \mathrm{i} \\ & \mathrm{n} \\ & \mathrm{c} \\ & \mathrm{o} \\ & \mathrm{r} \\ & \mathrm{r} \\ & \mathrm{e} \\ & \mathrm{c} \\ & \mathrm{t} \end{aligned}$ | $2 \times 2$ |  | $3 \times 3$ | i n c o r r e e c t |
|  | $\begin{aligned} & \mathrm{M} \\ & \mathrm{C} \end{aligned}$ | The reflection of set $B$ is the | $\{w \mid w=-(-$ <br> b) $\}$ | i n c o r r r e c c t | $\{\mathrm{w}=-\mathrm{b}\}$ | $\begin{aligned} & \hline \mathrm{i} \\ & \mathrm{n} \\ & \mathrm{c} \\ & \mathrm{o} \\ & \mathrm{r} \\ & \mathrm{r} \\ & \mathrm{e} \\ & \mathrm{c} \\ & \mathrm{t} \\ & \hline \end{aligned}$ | $\{\mathrm{w} \mid \mathrm{w}=\mathrm{b}\}$ |  | $\begin{aligned} & \{w \mid w=- \\ & b\} \end{aligned}$ | c |
|  | $\begin{aligned} & \mathrm{M} \\ & \mathrm{C} \end{aligned}$ | What is meant by probability density function? | Probabilit <br> y <br> distributio <br> ns |  | Continuou s variable | $\begin{aligned} & \hline \mathrm{i} \\ & \mathrm{n} \\ & \mathrm{c} \\ & \mathrm{o} \\ & \mathrm{r} \\ & \mathrm{r} \\ & \mathrm{e} \\ & \mathrm{c} \\ & \mathrm{t} \end{aligned}$ | Discrete variable |  | Probability distributio ns for Continuou s variables | C |
|  | $\begin{aligned} & \mathrm{M} \\ & \mathrm{C} \end{aligned}$ | Automated vehicle is an example of $\qquad$ | Supervise d learning | c o r r e c c t | Unsupervi sed learning | $\begin{aligned} & \hline \mathrm{i} \\ & \mathrm{n} \\ & \mathrm{c} \\ & \mathrm{o} \\ & \mathrm{r} \\ & \mathrm{r} \\ & \mathrm{e} \\ & \mathrm{c} \\ & \mathrm{t} \end{aligned}$ | Active learnin |  | Reinforce ment learning | i n c o o r r r e e c |
|  | M | Based on the 4-directional code, the first difference of | Shape number | C <br> o <br> r | Chain number | $\begin{aligned} & \hline \mathrm{i} \\ & \mathrm{n} \\ & \mathrm{c} \\ & \hline \end{aligned}$ | Difference | i <br> n <br> c | Difference Number | i <br> n <br> c |



