

UNIVERSITY OF PETROLEUM AND ENERGY STUDIES

	End Semester Examination, December 2017	
Program: :	M.Tech (Nuclear Science and Technology)	Semester : I
Subject (Course): Course Code:	Quantum Mechanics & Electrodynamics NSAT 7002	Max. Marks : 100 Duration : 3 Hrs
No. of page/s: 2		

SECTION - A

Answer all questions (Each question carries 5 marks)

- 1) In the following, choose the correct alternative:
 - a) Heisenberg Uncertainty principle asserts that
 - (i) $\Delta p \cdot \Delta x = \hbar$
 - (ii) $\Delta p \, \Delta x \ge \hbar$
 - (iii) $\Delta p \cdot \Delta x \ge h$
 - (iv) $\Delta p \cdot \Delta x \leq \hbar$
 - b) Classical physics could not explain the behavior of a black body radiator at very short wavelengths. What was this problem called?
 - (i) Absorption failure
 - (ii) Ultraviolet catastrophe/explosion
 - (iii) Wavelength decrease
 - (iv) Photoelectric effect
 - c) How does the momentum of a photon change if the wavelength is doubled?
 - (i) Doubles
 - (ii) Quadruples
 - (iii) Halves
 - (iv) Becomes one fourth
 - d) When an electron falls from an orbit where n = 2 to n = 1:
 - (i) Atomic energy increases
 - (ii) No change in atomic energy
 - (iii) A photon is released
 - (iv) A photon is absorbed
 - e) The direction of the gradient of a field is along
 - (i) Decreasing potential
 - (ii) Same potential
 - (iii) Increasing potential
 - (iv) Zero potential

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- 2) Give the physical significance of determination of *divergence, gradient* and *curl* of functions.
- 3) Differentiate between *dipole moment*, and *polarization*.
- 4) Give the De-Broglie hypothesis. Give also one practical *benefit* obtained from it.

SECTION - B

Answer all questions (Each question carries 10 marks)

- 5) Explain the terms: a) Electric field intensity, b) Electric flux density, c) Adjoint of an operator, d) Normalization of a wave function, and e) Hermitian operator.
- 6) Define *scalar* and *vector* potentials for electromagnetic fields, and explain how their introduction helps in the solution of the *Maxwell's equations*.
- 7) Evaluate the following:
 - a) The average period that elapses between the excitation of an atom and the time it emits radiations is 10⁻⁸ secs. Find the uncertainty in the energy emitted. [4]
 - b) For Normalized wave function ψ = ax, find the following expectation values:
 i) <x>, and ii. <x²>.
 [2 x 3]
- 8) Define, using different mathematical relations and conditions, a *complex vector space*, and its *subspace*.

Or

Explain *inner product, norm and metric* w.r.to vector space. What type of vector space is considered for Quantum Mechanics?

SECTION - C

Answer both the questions (Each question carries 20 marks)

- 9) Solve the one-dimensional 'particle in a box' problem. Show that the Eigen value spectrum is discrete. Obtain the normalized wave functions for the solutions obtained. [10+4+6]
- 10 a) What are Maxwell's equations? Give them for air/vacuum in the integral form. Interpret them in detail. [4+4+8]
 - b) Describe the motion of a charged particle in an uniform and static magnetic field. [4]

Solve the one-dimensional harmonic oscillator problem, and give the Eigen values of the Hamiltonian. Hence, show that its zero point energy is not zero. Show/plot some sample wave functions for the solutions obtained. [10+4+2+4]

