
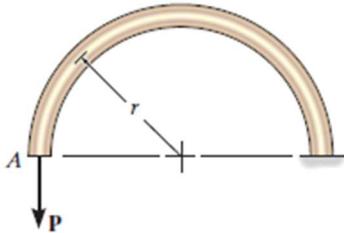


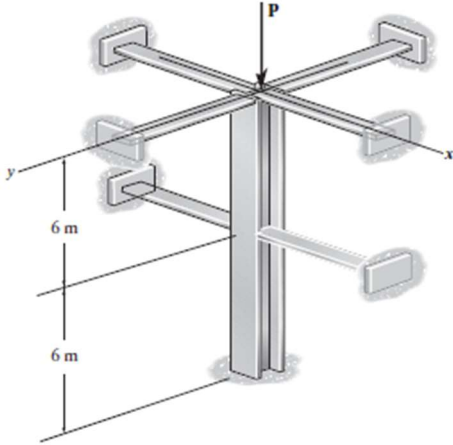
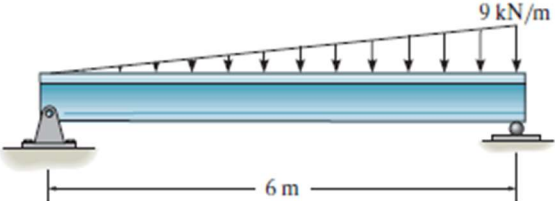
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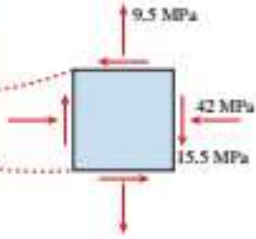
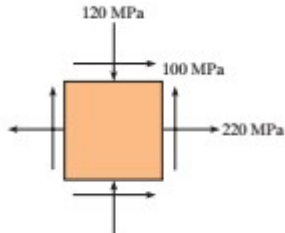
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| <b>UPES</b><br><b>End Semester Examination, December 2024</b>   |   |
| <b>Course: Aircraft Structure I</b><br><b>Program: B Tech Aerospace</b><br><b>Course Code: ASEG 3018</b>                  | <b>Semester: Vth</b><br><b>Time : 03 hrs.</b><br><b>Max. Marks: 100</b> |
| <b>Instructions: Assume suitable right-handed coordinate system.</b><br><b>Assume any suitable value for missing data</b> |   |

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| <b>SECTION A</b><br><b>(5Qx4M=20Marks)</b> |
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| S. No. |  | Marks | CO  |
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| Q 1    | a) In a Uniaxial state of stress, the normal to the plane across which the normal stress is maximum, makes an angle with the direction of loading, which is equal to -----<br>b) Principal planes are the planes on which maximum stress is the -----<br>c) The radius of Mohr's circle gives the values of -----<br>d) An iron block of 5cm <sup>2</sup> cross section carries an axial compressive load of 50 kN. The magnitude of the normal stress on a plane, who's normal is inclined at 30° to the axis of the block is ----- | 4     | CO1 |
| Q 2    | If $\rho$ is the density and $A$ is the area of cross-section of rod of length $L$ , then determine the strain energy of bar of rod due to the self-weight.  | 4     | CO1 |
| Q 3    | The rod has a circular cross section with a moment of inertia $I$ . If a vertical force $P$ is applied at $A$ , determine the vertical displacement at this point. Only consider the strain energy due to bending. The modulus of elasticity is $E$ . <div style="text-align: center; margin: 10px 0;">  </div>   | 4     | CO1 |
| Q 4    | The structural steel column has a length of 12 ft. If its bottom end is fixed supported while its top end is free, determine the largest axial load it can support. Use a factor of safety with respect to buckling of 1.75.   | 4     | CO2 |
| Q 5    | A material is subjected to plane stress. Express the maximum-shear-stress theory of failure in terms of $\sigma_x$ , $\sigma_y$ and $\tau_{xy}$ . Assume that the principal stresses are of different algebraic signs.   | 4     | CO3 |

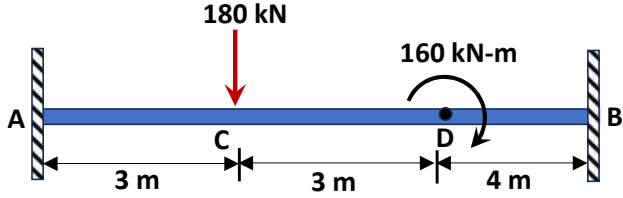
**SECTION B**  
**(4Qx10M= 40 Marks)**

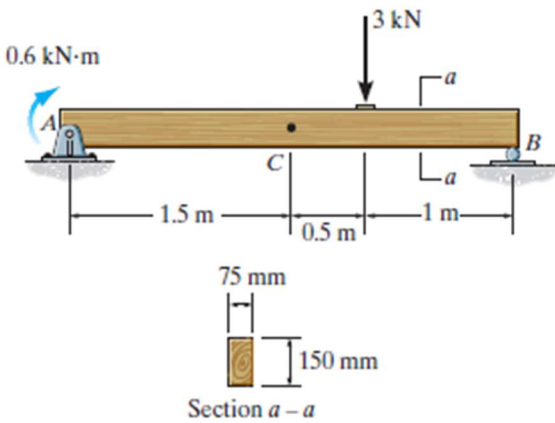
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| <p>Q 6</p> | <p>The steel column can be considered pinned at its top and bottom and braced against its weak axis at the mid-height. Determine the maximum allowable force <b>P</b> that the column can support without buckling. Apply a factor of safety F.S.=2 against buckling. Take <math>A = 7.4(10^{-3}) m^2</math>, <math>I_x = 87.3(10^{-6}) m^4</math>, <math>I_y = 18.8(10^{-6}) m^4</math>.</p>   | <p><b>10</b></p> | <p><b>CO2</b></p> |
| <p>Q 7</p> | <p>Determine the bending strain energy in the steel beam, where flexural rigidity <math>EI</math> is constant.</p>    | <p><b>10</b></p> | <p><b>CO1</b></p> |
| <p>Q 8</p> | <p>An element in plane stress on the fuselage of an airplane (figure part a) is subjected to compressive stresses with a magnitude of 42 MPa in the horizontal direction and tensile stresses with a magnitude of 9.5 MPa in the vertical direction (see figure part b). Also, shear stresses with a magnitude of 15.5 MPa act in the directions shown, Determine the stresses acting on an element oriented at a clockwise angle of <math>40^\circ</math> from the horizontal. Also determine the plane of zero shear stress. Show these stresses on a sketch of an element oriented at this angle.</p> | <p><b>10</b></p> | <p><b>CO4</b></p> |

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|  | <p>a) </p> <p>b) </p> <p style="text-align: center;"><b>Or</b></p> <p>The components of plane stress at a critical point on an aluminum shell are shown.</p> <p style="text-align: center;"></p> <p>a) Determine the maximum shear stress, its associated stress and planes.</p> <p>b) Determine yield strength if failure (yielding) has occurred based on the maximum distortion-energy theory.</p> |  |  |
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| Q 9 | The solid shaft has a torque of 3.25 kip-in. The shaft has a radius of 0.5 in. and is made of steel having a yield stress of $\sigma_Y = 36$ ksi. Determine if the loadings cause the shaft to fail according to a) Maximum-shear-stress theory, and b) Maximum-distortion-energy theory. | <b>10</b> | <b>CO3</b> |
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**SECTION-C**  
**(2Qx20M=40 Marks)**

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| Q 10 | <p>Determine the fixing moments and the reaction force at the supports and draw the bending moment diagram and shear force diagram for the fixed beam <i>ACDB</i> as shown below. Take <i>EI</i> is constant.</p> <p style="text-align: center;"></p> <p style="text-align: center;"><b>Or</b></p> <p>A continuous beam <i>ABCDE</i> has roller supports at <i>B</i>, <i>C</i> and <i>D</i>, a fixed support at <i>A</i> and overhang at <i>DE</i>. The span length is <math>AB = BC = CD =</math></p> | <b>20</b> | <b>CO1</b> |
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|             | <p>4 m and <math>DE = 2</math> m. The beam carries a uniformly distributed load of 3 kN/m over a spans <math>ABCD</math> and of 1.5 kN/m over <math>DE</math>. A point load of 6 kN is also placed midway between <math>B</math> and <math>C</math>. Calculate the support moments and reactions at the support by using Clapeyron's equation. Draw the bending moment diagram and shear force diagram of the beam.</p> |           |            |
| <p>Q 11</p> | <p>Determine the slope at point <math>A</math> and displacement at point <math>C</math> of the simply supported beam.</p>    | <p>20</p> | <p>CO4</p> |