
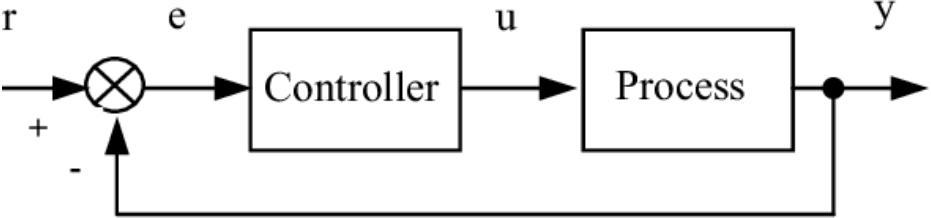


| Name: | |  | |
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| Enrolment No: | | | |
| UPES End Semester Examination, December 2024 | | | |
| Course: Control System Engineering Program: M. Tech (Robotics Engineering) Course Code: ECEG7045 | | Semester: I Time : 03 hrs. Max. Marks: 100 | |
| Instructions: Attempt all the questions. Assume any missing data. Read all the instructions carefully | | | |
| SECTION A (5Qx4M=20Marks) | | | |
| S. No. | | Marks | CO |
| Q 1 | Illustrate advantages of modern control system over classical control system? | 4 | CO1 |
| Q 2 | Explain linear quadratic controller? List its advantage over the PID controller. | 4 | CO2 |
| Q 3 | List the various representations of the classical control system. List the advantages of each representation. | 4 | CO2 |
| Q 4 | Name the model based and model free controllers. Identify their output type and feedback nature? | 4 | CO1 |
| Q 5 | Determine the system poles of the represented in the state space form as $\begin{bmatrix} \dot{x}_1(t) \\ \dot{x}_2(t) \end{bmatrix} = \begin{bmatrix} 2 & 0 \\ 0 & 3 \end{bmatrix} \begin{bmatrix} x_1(t) \\ x_2(t) \end{bmatrix} + \begin{bmatrix} 1 \\ 1 \end{bmatrix} u(t)$ | 4 | CO3 |
| SECTION B (4Qx10M= 40 Marks) | | | |
| Q 6 | Explain absolute and relative stability with suitable example? Or Determine the value of K based on Routh stability criterion for which the system is stable whose characteristic equation is given as $s^4 + 2s^3 + 3s^2 + s + K = 0$ | 10 | CO2 |
| Q 7 | Comment on the system controllability represented in the state space form as $\begin{bmatrix} \dot{x}_1(t) \\ \dot{x}_2(t) \end{bmatrix} = \begin{bmatrix} 0 & 1 \\ 4 & 3 \end{bmatrix} \begin{bmatrix} x_1(t) \\ x_2(t) \end{bmatrix} + \begin{bmatrix} 1 \\ 1 \end{bmatrix} u(t)$ | 10 | CO3 |
| Q 8 | How do the Proportional, Integral, and Derivative components of a PID controller replicate certain behavioral aspects? Do these components inherit any intrinsic model properties, or do they simply reproduce the desired control behavior? | 10 | CO3 |
| Q 9 | Consider the LQR controller used in the diagram for regulating a home temperature control process. Provide insights on the following: | 10 | CO1 |

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| | <p>a) Identify if the controller functions as a feedback or feedforward system.</p> <p>b) Specify the physical quantity being monitored.</p> <p>c) Evaluate whether the controller is model-based or model-free.</p> <p>d) If the plant is substituted with a model, what conclusions can be drawn? In which situations could this be beneficial?</p>  | | |
| <p>SECTION-C (2Qx20M=40 Marks)</p> | | | |
| Q 10 | <p>Obtain the state transition matrix for the given system. Additionally, calculate the poles of the system and provide an assessment of the system's stability.</p> $\dot{x}(t) = \begin{bmatrix} 0 & 1 \\ 1 & 0 \end{bmatrix} x(t) + \begin{bmatrix} 0 \\ 3 \end{bmatrix} u(t)$ | 20 | CO2 |
| Q 11 | <p>Obtain the transfer function representation of the system from the given state-space model. Calculate the poles and zeros of the system and analyze its stability.</p> $\begin{bmatrix} \dot{x}_1(t) \\ \dot{x}_2(t) \end{bmatrix} = \begin{bmatrix} 2 & 1 \\ 4 & 3 \end{bmatrix} \begin{bmatrix} x_1(t) \\ x_2(t) \end{bmatrix} + \begin{bmatrix} 1 \\ 1 \end{bmatrix} u(t)$ $y(t) = [0 \ 1] \begin{bmatrix} x_1(t) \\ x_2(t) \end{bmatrix} + 0u(t)$ <p style="text-align: center;">Or</p> <p>Explain the State feedback control. Calculate the state feedback gain for pole placement, aiming to position the desired poles at $s = -2$ and $s = -3$.</p> $\dot{x}(t) = \begin{bmatrix} 1 & 1 \\ 2 & 3 \end{bmatrix} x(t) + \begin{bmatrix} 2 \\ 2 \end{bmatrix} u(t)$ | 20 | CO3 |