

Name:

Enrolment No:



UNIVERSITY OF PETROLEUM AND ENERGY STUDIES
End Semester Examination, December 2024

Program Name : MCA
Course Name : Computer Graphics
Course Code : CSIP8001
Nos. of page(s) : 03

Semester : III
Time : 03 hrs.
Max. Marks: 100

Instruction: Calculators are allowed

SECTION A

Each Question will carry 4 Marks.

S. No.		Marks	CO
Q1	Illustrate how Liquid Crystal Displays can show colored images?	04	CO1
Q2	Illustrate an efficient algorithm which will draw a one-pixel wide outline of a circle of integer radius, R, centred on the origin. Describe the modifications required to your algorithm to make it draw a filled circle.	04 (3+1)	CO2
Q3	Describe, in detail, an algorithm to clip a straight line against an axis-aligned rectangle.	04	CO3
Q4	Calculate the maximum resolution needed by a movie projector in a movie theatre. Clearly state any assumptions that you make.	04	CO4
Q5	Discuss the different color models in Computer Graphics.	04	CO1

SECTION B

Each question will carry 10 marks.

Q6.	Show how to perform 3D rotation about an arbitrary axis. Again, give matrices in homogeneous coordinates for each step in the operation.	10	CO2
Q7.	Find the equation of the Bézier curve which passes through the points (0,0) and (-4,2) and is controlled through the points (14,10) and (4,0). Calculate the coordinates (x,y) on the curve at t=0.5.	10 (8+2)	CO3

Q8.	Reflect a triangle of coordinates A (2, 4), B (4, 6) & C (2, 6) about a line PQ. PQ is generated after rotating a line $y = (1/\sqrt{3})x + 2$ by 60 degree. Find out the reflected coordinates.	10	CO4
OR			
	Describe an algorithm (in 2D) which clips an arbitrary polygon against an arbitrary axis-aligned rectangle.	10	CO4
Q9.	Suppose we have a sphere centered at the origin, $x^2 + y^2 + z^2 = r$. There is a light source at (a,b,c). Generate a formula for finding the color at any point (x,y,z) on the surface of the sphere, assuming that there is diffuse reflection. Define any additional terms you introduce.	10	CO1
SECTION-C			
1. Each Question carries 20 Marks.			
2. Instruction: Write long answer.			
Q10.	<p>The position vectors for the vertices of a triangular surface are given by: A (10,0,0) B (0,10,0) C (0,0,10). The normal vector at each vertex is:</p> <p>A: $10i+11j+11k$ B: $11i+10j+11k$ C: $11i+11j+10k$.</p> <p>The source of a parallel beam of light is given by: $L = -0.1924i - 0.1924j + 0.9622k$</p> <p>a) Find the intensity at the parallel projected point (3,3) within the projected triangle on the xy-plane of the screen using the Gouraud interpolation technique. The ambient light intensity is 1, and the directional light intensity is 10. Assume $k_a=0.5$ and $k_d=0.3$. Neglect any intensity attenuation and specular effect.</p> <p>b) Use the Phong Intensity Interpolation technique to find the intensity at projected point (3,3).</p>	20 (12+8)	CO2
Q11.	<p>Consider a triangular surface in 3D space defined by three vertices A (2,1,3), B (5,4,1) and C (1,5,2). A point light source is located at L (7,3,5) with intensity $I_L = (1,1,1)$. The viewer is located at V (0,0,10) looking at the origin.</p> <p>The surface has the following material properties:</p> <ul style="list-style-type: none"> • Ambient reflectance $k_a = (0.1, 0.1, 0.1)$ • Diffuse reflectance $k_d = (0.6, 0.7, 0.8)$ • Specular reflectance $k_s = (0.9, 0.9, 0.9)$ • Shininess coefficient $\alpha = 10$ <p>Use the Phong illumination model to determine if the surface should be visible and, if visible, calculate the color at a point P on the surface.</p>	20	CO3

OR

A tetrahedron is given by position vectors A (2,2, -1), B (4,2, -1), C (3,2, -3) and D (3,4, -2). Use Depth buffer method (or Z-buffer method) to find the visible planes of the tetrahedron if the viewing plane is xy-plane i.e. $z=0$. Take screen resolution of 6×6 , and background colour as black (colour value = 0). The colour of the plane ACD is blue (1), CBD is green (2), BAD is cyan (3), and ACB is red (4).

- a) Find the visible planes.
- b) Will the visible planes change if it is rotated about z-axis by 45° ? Find the visible planes if it is rotated about x-axis by 30° and y-axis by 45° .

20
(12+8)

CO3